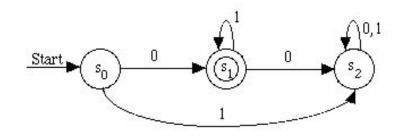
# Rosen, Discrete Mathematics and Its Applications, 6th edition Extra Examples Section 12.3—Finite-State Machines with Output Extra Sources of Extra Examples icons in the textbook.

### p.807, icon at Example 6

**#1.** Construct a deterministic finite-state automaton that recognizes the set of all bit strings such that the first bit is 0 and all remaining bits are 1's.

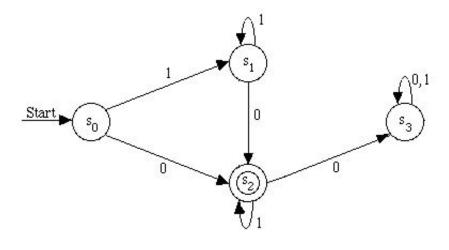
#### Solution:



#### p.807, icon at Example 6

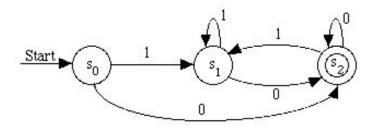
#2. Construct a deterministic finite-state automaton that recognizes the set of all bit strings that contain exactly one 0.

#### Solution:



# p.807, icon at Example 6

**#3.** Determine the set of bit strings recognized by the following deterministic finite-state automaton.

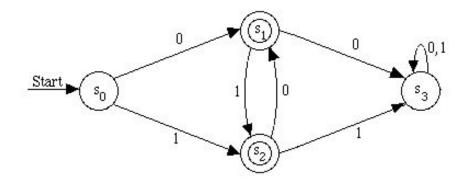


#### Solution:

If the bit string ends in 0, you end in state  $s_2$ . If the bit string ends in 1, you end in state  $s_1$ . Therefore, this automaton recognizes all bit strings that end in 0.

# p.807, icon at Example 6

#4. Determine the set of bit strings recognized by the following deterministic finite-state automaton.

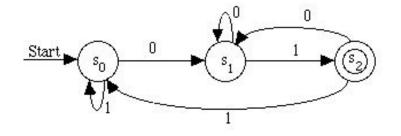


#### Solution:

If the bit string has two consecutive 0's or two consecutive 1's, you end in state  $s_3$ . If the bit string has no two consecutive 0's or two consecutive 1's, you end in either state  $s_1$  or  $s_2$ . Therefore, this automaton recognizes all bit strings that alternate 0's and 1's.

# p.807, icon at Example 6

**#5.** Determine the set of bit strings recognized by the following deterministic finite-state automaton.



# Solution:

The string must end in 01 in order to be recognized by this automaton. If the string ends in 11, the string ends in state  $s_0$ . If the string ends in 0, the string ends in state  $s_1$ .